

SPEAR: Semantic Push and Evidence-Driven Adaptive Retrieval for V2I Collaborative Perception

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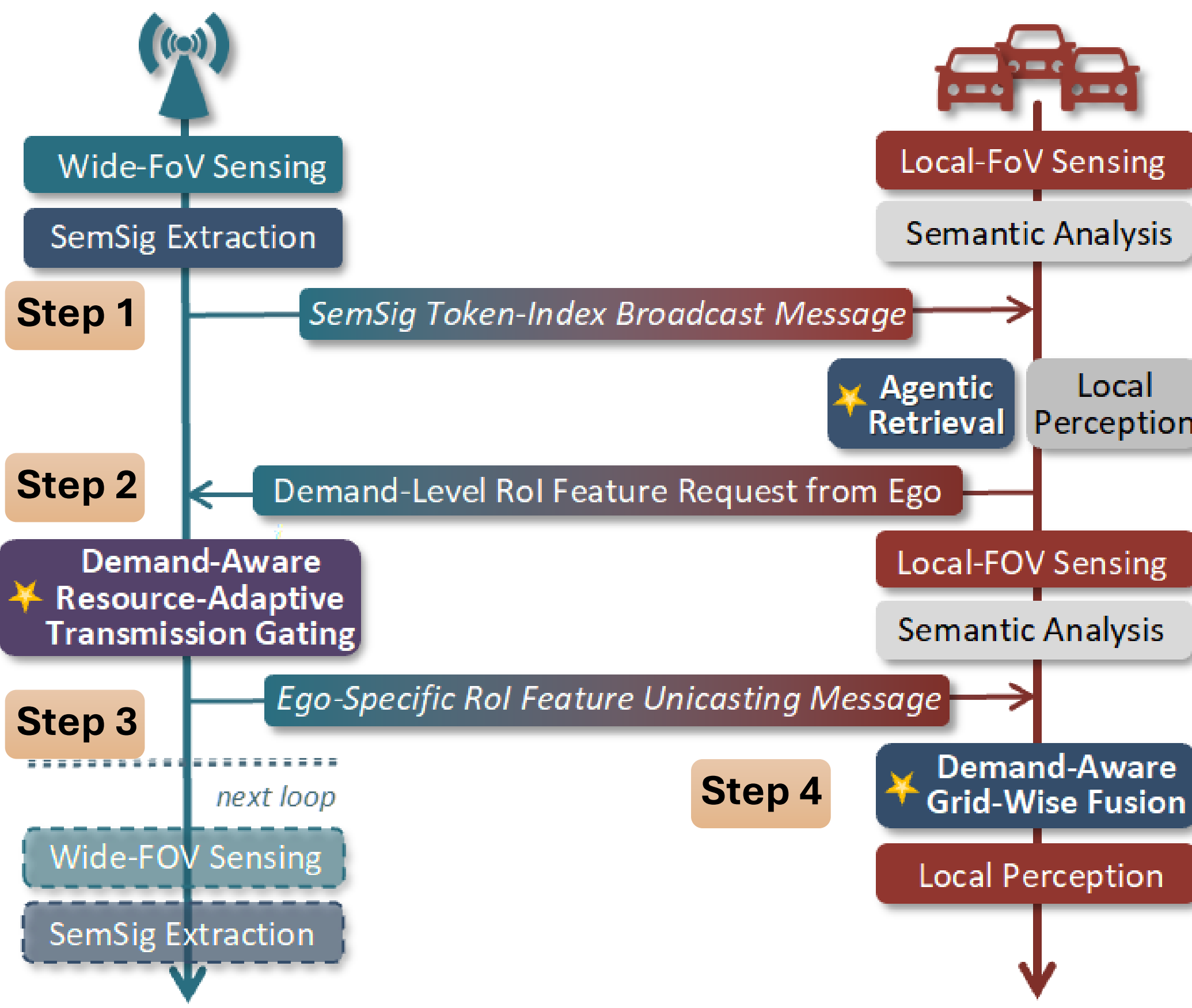
SPEAR replaces repeated ego-triggered handshakes with a single RSU semantic broadcast, enabling demand-aware feature retrieval for multiple egos.

Why SPEAR?

- Conventional collaborative perception relies on ego-triggered request-response interactions.
- Per-ego handshakes introduce growing signaling, computation, and contention overhead.
- Conventional confidence scores can be overconfident and fail to quantify the actual information gain provided by remote observations.

Confidence alone $\neq$ Reliable information gain

SPEAR Workflow



Broadcast globally · Evaluate locally · Retrieve selectively

Step 1: Semantic Broadcast

The RSU broadcasts a compact SemSig to all egos.

Step 2: Request Generation

Each ego identifies grids with high entropy gain.

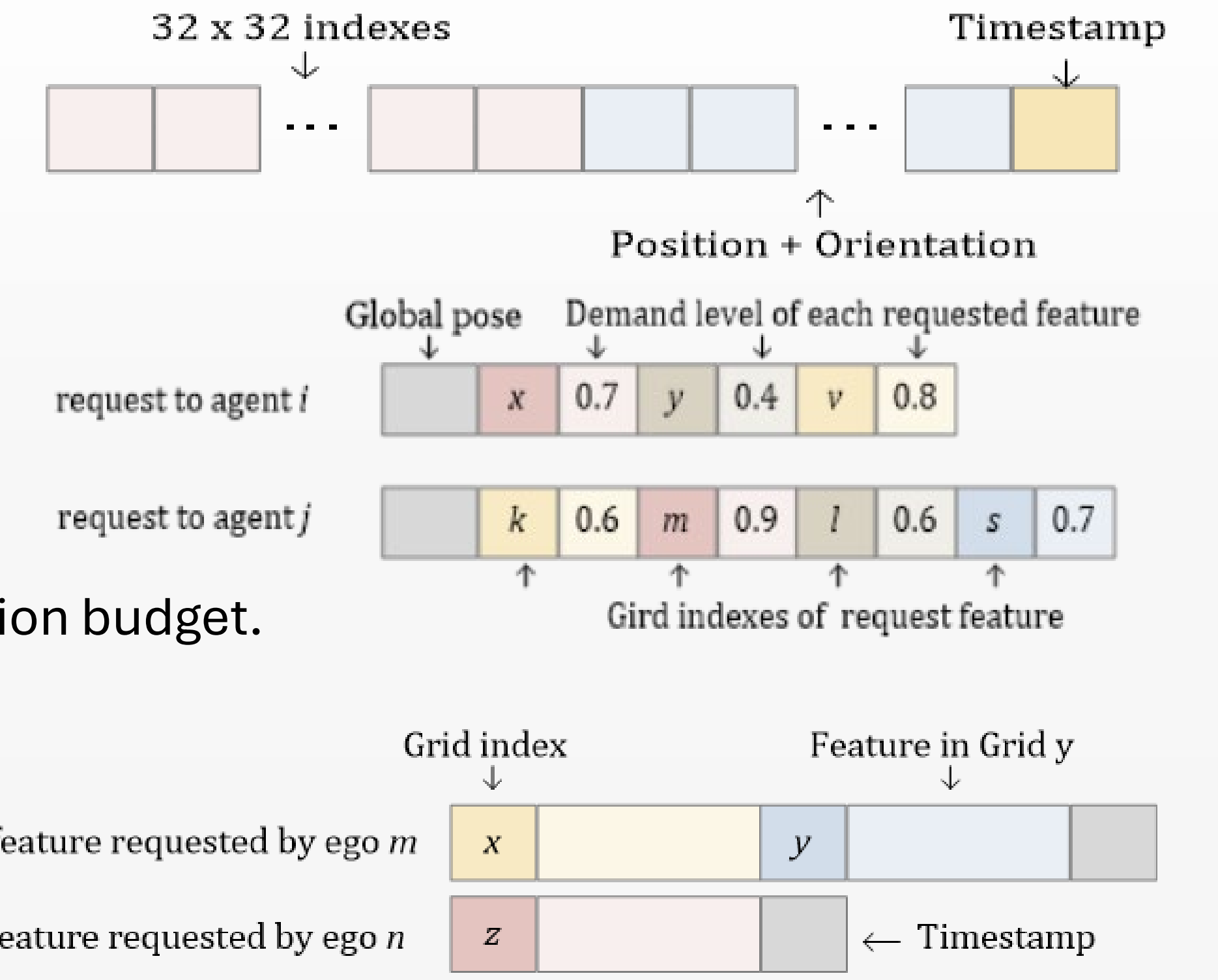
Step 3: Adaptive Response

The RSU transmits the requested features under the communication budget.

Step 4: Semantic Aggregation

Each ego performs reliability-aware grid-wise fusion.

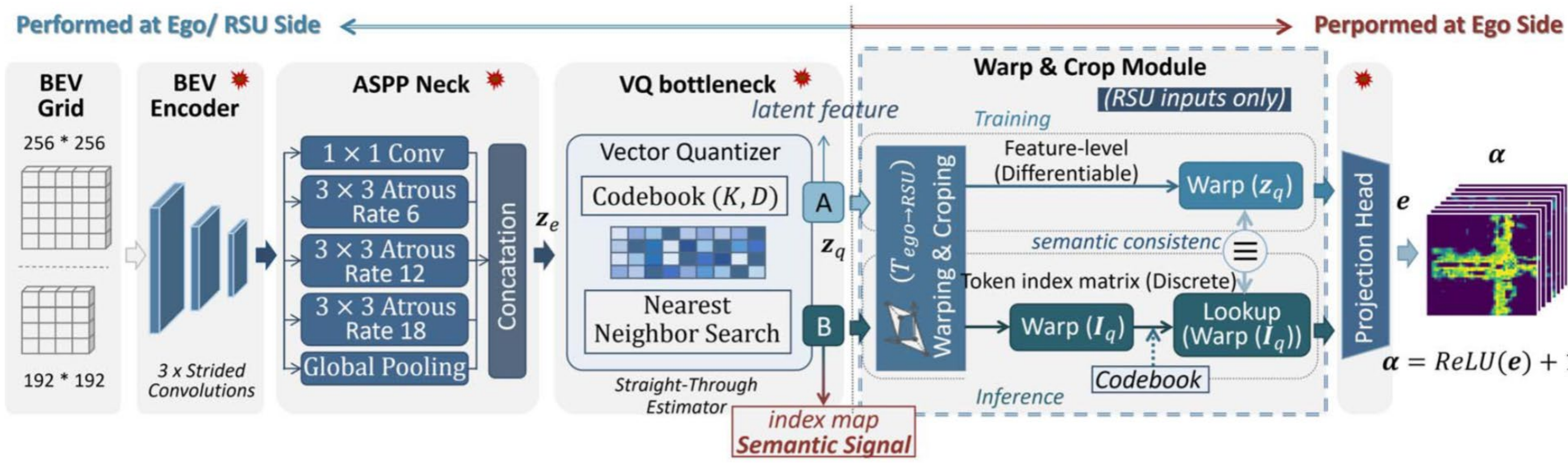
Value + consistency + reliability



Contributions

✓ SemSig Extraction

BEV Encoder → ASPP → VQ Codebook → Discrete SemSig



✓ Entropy-Gain-Driven Retrieval

Uncertainty-Guided Dirichlet Fusion

$$u_i^v = \frac{C}{S_i^v}, \quad u_i^{I \rightarrow v} = \frac{C}{S_i^{I \rightarrow v}},$$

$$w_i^v = 1 - u_i^v \text{ and } w_i^{I \rightarrow v} = 1 - u_i^{I \rightarrow v}$$

$$\alpha_i^{\text{fuse}} = \frac{w_i^v \alpha_i^v + w_i^{I \rightarrow v} \alpha_i^{I \rightarrow v}}{w_i^v + w_i^{I \rightarrow v}}.$$

The resulting entropy gain reflects the net utility of incorporating RSU observations rather than the raw disagreement between sources

✓ Reliability-Aware Grid-Wise Fusion

$$\tilde{g}_{v,n} = w_n g_{v,n} + (1 - w_n) g_{I,n}$$

- Feature consistency
- Local evidence strength
- Entropy gain ΔH_n

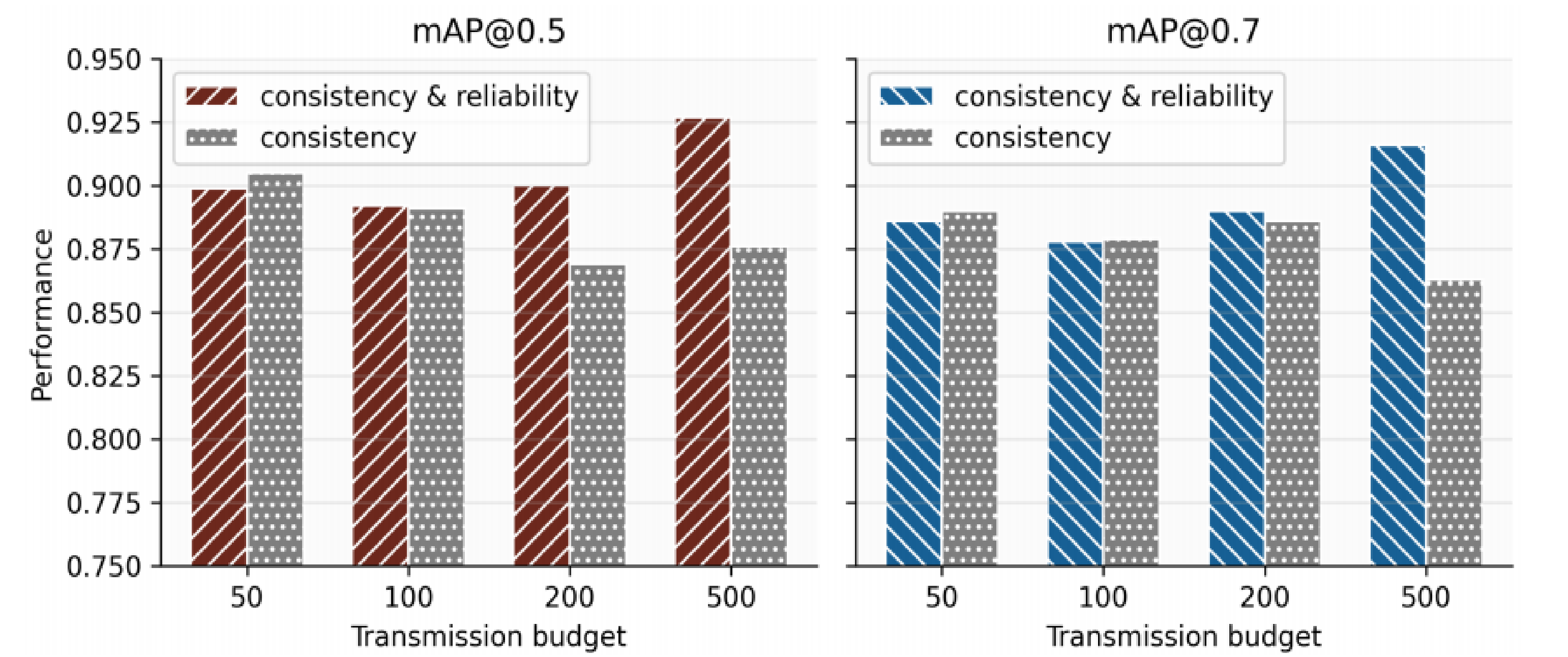
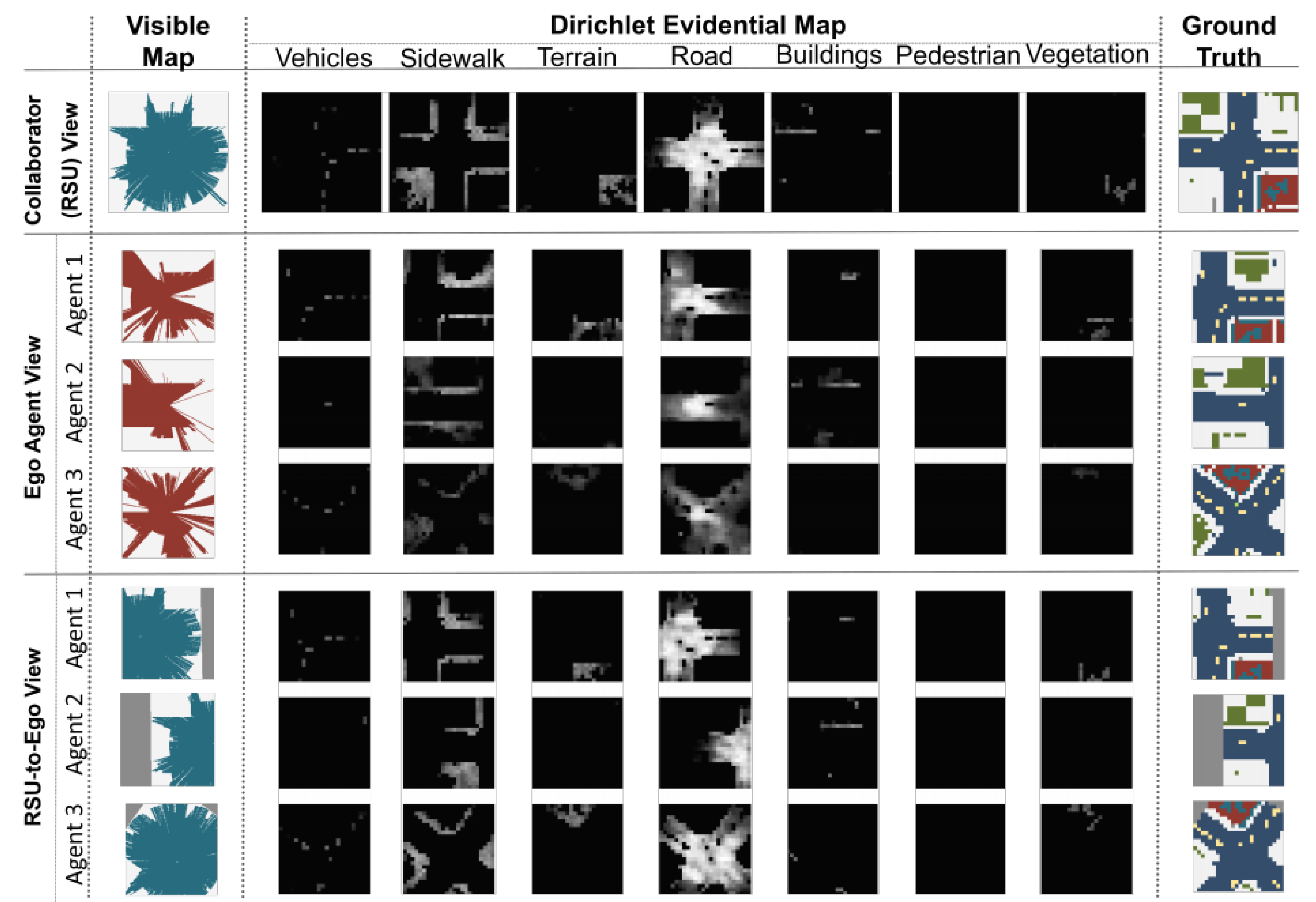
$$\mathbf{f}_n^{\text{cons}} = [|\mathbf{g}_{v,n}^v - \mathbf{g}_{v,n}^I|, \|\mathbf{g}_{v,n}^v\|_2, \|\mathbf{g}_{v,n}^I\|_2]$$

$$\mathbf{f}_n^{\text{rel}} = [\mathcal{H}(\alpha_n^v), \log(S_n^v + \epsilon), \Delta H_n]$$

$$\mathbf{f}_n = [\mathbf{f}_n^{\text{cons}}, \mathbf{f}_n^{\text{rel}}]$$

A lightweight MLP determines whether each grid should rely more on the local observation or the retrieved RSU feature.

Experimental Results



Organizers